

Improving the altimeter derived geostrophic currents using sea surface temperature images: feasibility study and application on real datasets

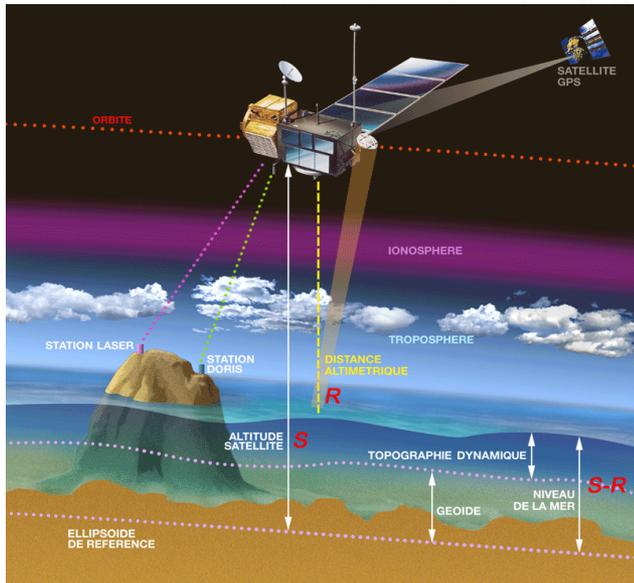
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(1) CLS, France,

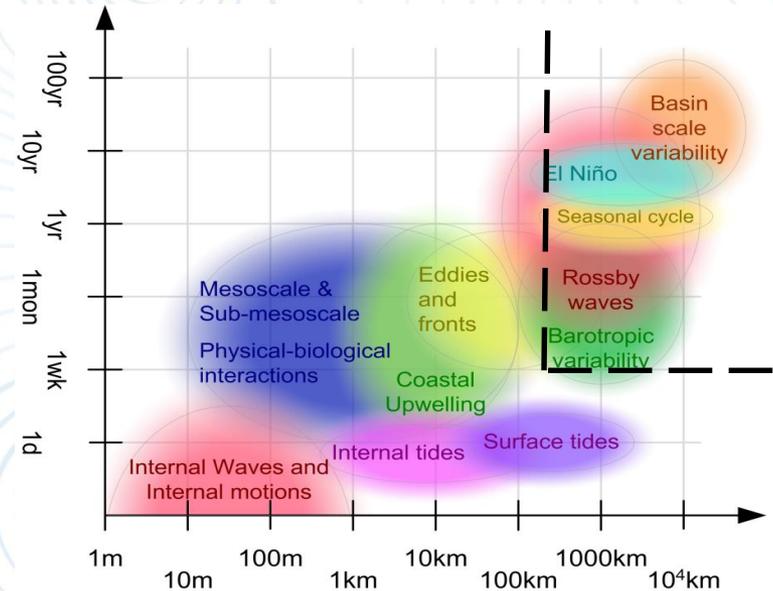
(2) ISAC-CNR, Italy,

CONTEXT

➤ Limitations of the altimetry system for ocean current estimation



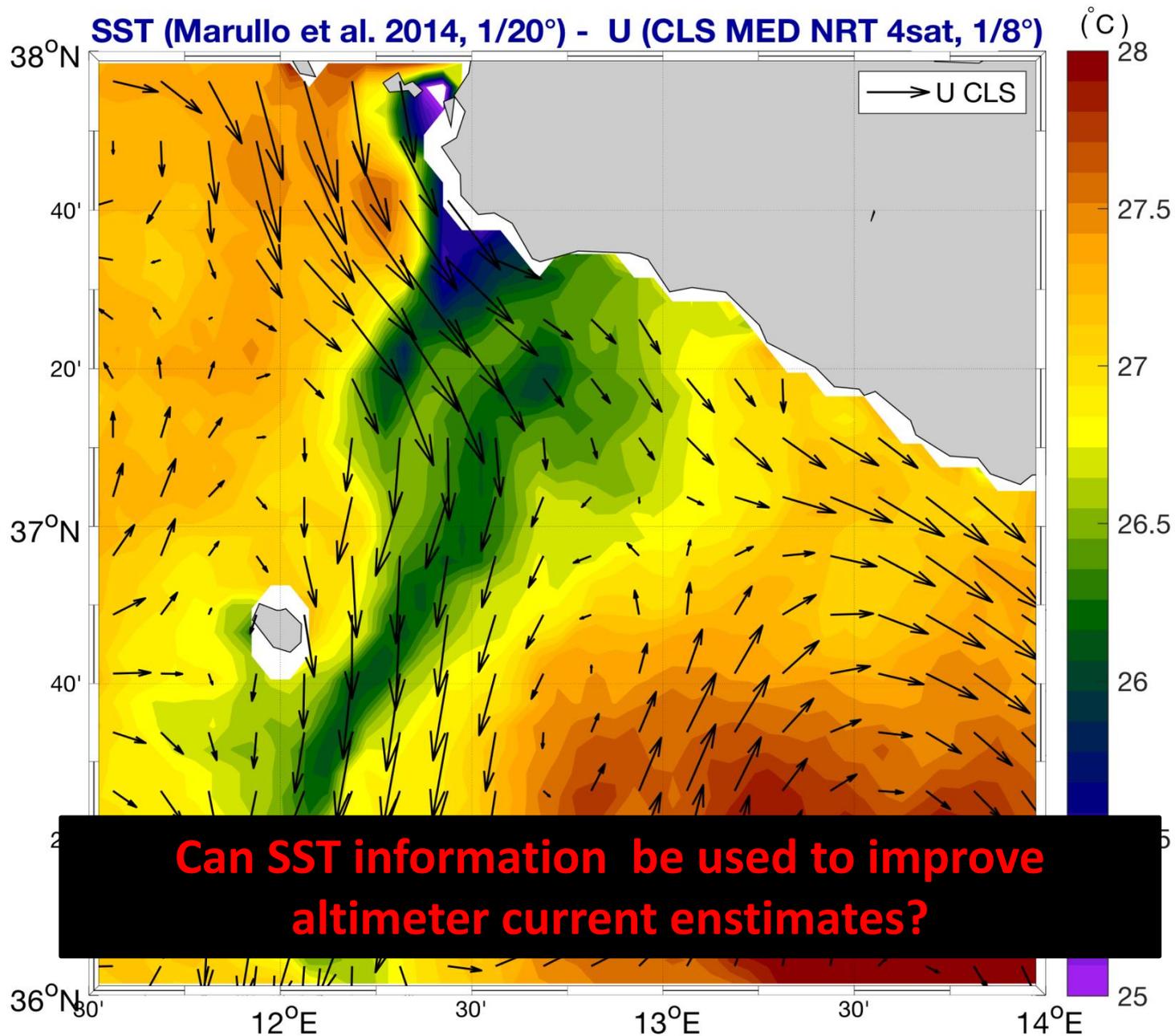
$$\mathbf{u} = -\frac{g}{f} \frac{\partial h}{\partial y}$$
$$\mathbf{v} = \frac{g}{f} \frac{\partial h}{\partial x}$$



- ❖ Only the geostrophic component of the surface current is obtained
- ❖ For a limited part of the spatio-temporal spectra

➤ In order to go beyond the altimeter system limitations, **new sensors and new methodologies must be explored**

Our aim is to use SST field data to improve altimeter current estimates



METHOD

Require the velocity field (u,v) to obey the SST evolution equation and inverse it for the velocity vector:

$$\frac{\partial \text{SST}}{\partial t} + u \frac{\partial \text{SST}}{\partial x} + v \frac{\partial \text{SST}}{\partial y} = F(x, y, t)$$

F(x,y,t) represents the source and sink terms (insolation, net infrared radiation, latent and sensible heat fluxes)

Challenge: only **along-gradient velocity** information can be retrieved from the tracer distribution at subsequent times in **strong gradients areas**.

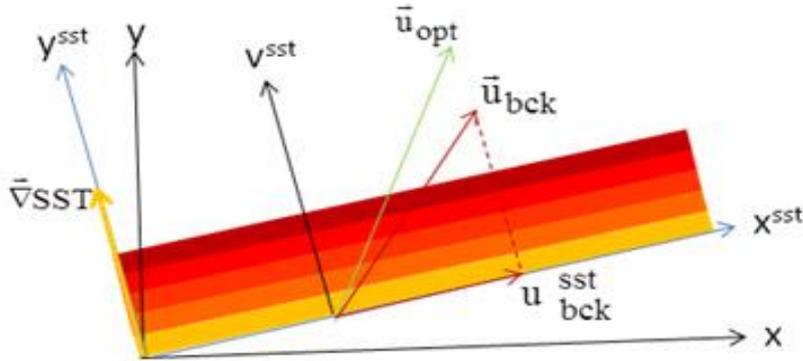
Piterbarg et al, 2009; Mercatini et al, 2010 : Use a background velocity information ($u_{\text{bck}}, v_{\text{bck}}$) so that the satellite tracer information is used to obtain an optimized 'blended' velocity ($u_{\text{opt}}, v_{\text{opt}}$).

We applied the methodology on successive SST images using the low resolution, geostrophic altimeter velocities as background velocities

Perfectly known forcing F

Require the velocity field (u,v) to obey the SST evolution equation and inverse it for the velocity vector:

$$\frac{\partial \text{SST}}{\partial t} + u \frac{\partial \text{SST}}{\partial x} + v \frac{\partial \text{SST}}{\partial y} = F(x, y, t)$$



$$u_{\text{opt}} = u_{\text{bck}} - \frac{A(Au_{\text{bck}} + Bv_{\text{bck}} + E)}{A^2 + B^2}$$

$$v_{\text{opt}} = v_{\text{bck}} - \frac{B(Au_{\text{bck}} + Bv_{\text{bck}} + E)}{A^2 + B^2}$$

Change of coordinates $(x, y) \rightarrow (x^{\text{sst}}, y^{\text{sst}})$

$$\frac{\partial \text{SST}}{\partial x^{\text{sst}}} = 0 \quad \rightarrow \quad v^{\text{sst}} = \frac{F - \frac{\partial \text{SST}}{\partial t}}{\frac{\partial \text{SST}}{\partial y^{\text{sst}}}}$$

u^{sst} : infinite solutions

use of a background information $(u_{\text{bck}}, v_{\text{bck}})$

Where:

$$A = \frac{\partial \text{SST}}{\partial x} \quad B = \frac{\partial \text{SST}}{\partial y} \quad E = \frac{\partial \text{SST}}{\partial t} - F$$

$u_{\text{bck}}, v_{\text{bck}}$ -> altimer geostrophic velocity

Forcing term estimate (F_{bck})

The Heat conservation Equation

$$\frac{\partial SST}{\partial t} + u \frac{\partial SST}{\partial x} + v \frac{\partial SST}{\partial y} = F$$

The source and sink terms F

$$F = \frac{1}{H} \int_{z=0}^{z=H} -w(z) \frac{\partial T(z)}{\partial z} dz + \frac{\kappa_x}{H} \int_{z=0}^H \frac{\partial^2 T(z)}{\partial x^2} dz + \frac{\kappa_y}{H} \int_{z=0}^H \frac{\partial^2 T(z)}{\partial y^2} dz + \frac{\kappa_z}{H} \int_{z=0}^H \frac{\partial^2 T(z)}{\partial z^2} dz + \frac{Q(H)}{\rho C_p H} - \frac{w_e}{H} (T_m - T_b)$$

Vertical
advection

Diffusion

Heat
fluxes

Entrainment
velocity
(0 in case of
shoaling)

~ 0

~ 0

Large spatial

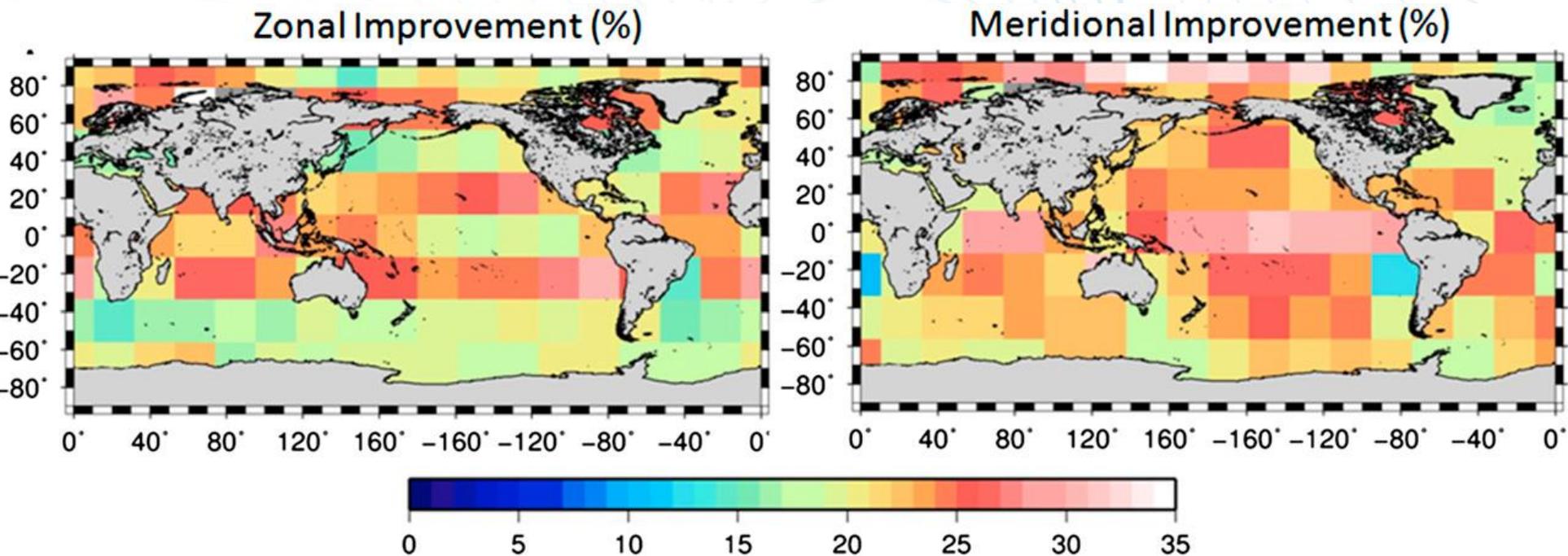
From
Rio et al, 2016

$$E = \frac{\partial SST}{\partial t} - \frac{\partial SST'}{\partial t} \quad \leftarrow \quad \frac{\partial SST}{\partial t} = \frac{\partial SST'}{\partial t} + \frac{\partial SST''}{\partial t} \quad \leftarrow \quad \text{scale of } \frac{\partial SST'}{\partial t} = F_{bck}$$

Test of the Method: OSSE Experiment

Method tested using model data of the Mercator Ocean Global Model Forecasting system.

- Mercator ORCA12: model resolution $1/12^\circ$, one year (2013)
- Model data: sea surface height, temperature, and surface velocity
- **Altimeter surface geostrophic currents simulated from the modeled SSH**
- **Maps of SST simulated from model SST**
- **Model surface currents \rightarrow reference velocity**



everywhere, $>30\%$ on the meridional component in the equatorial band

Test method with real SST data: DATA used

- Altimetry: DUACS L4 gridded products: « twosat » and « allsat »
- Sea Surface temperature: L4 OI maps from REMSS (100km, 4 days):
 - MW: based on microwave sensors only
resolution $\frac{1}{4}^\circ$, daily maps
 - MW_IR: based on both microwave and infrared sensors
resolution ~ 9 km, daily

1 year of SST DUACS data: 2013

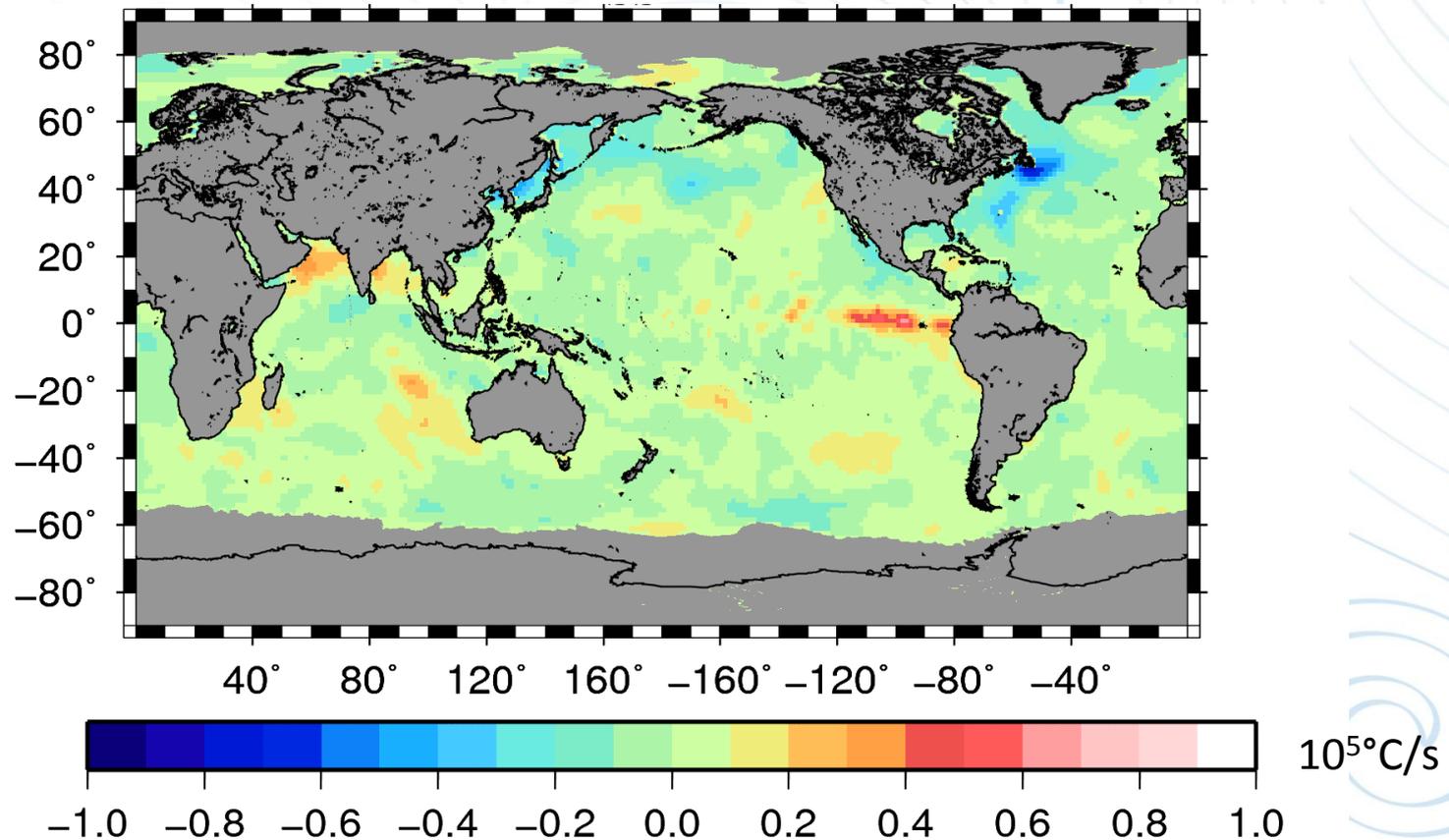
For validation (independent data):

- Drifting buoy velocities, SVP drogued, 6 hourly resolution along the buoy trajectory
- Chlorophyll L4 maps distributed by CMEMS, resolution 4km, daily

Forcing term estimate (F_{bck})

$$F_{\text{bck}} = \left(\frac{\partial \text{SST}}{\partial t} \right)_{\text{scales} > 500 \text{km}}$$

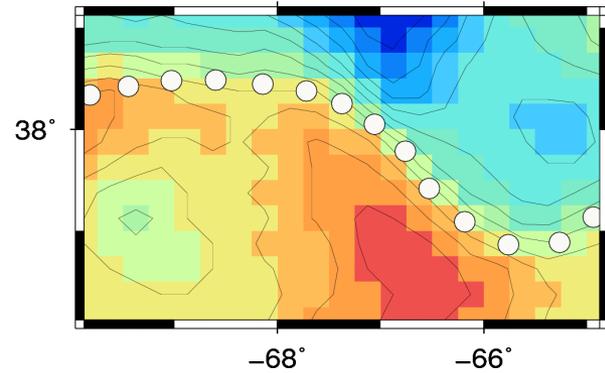
Example on September, 20th 2010



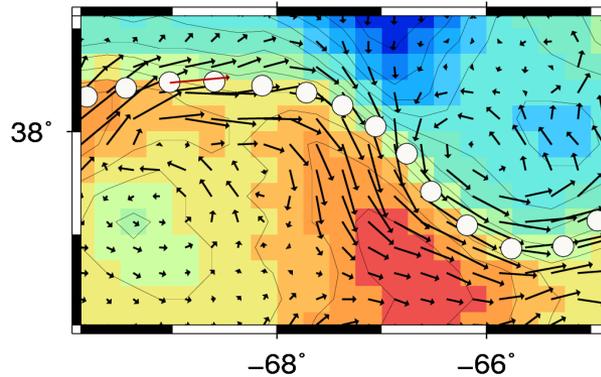
RESULTS

Example 1: Gulfstream, September 21st 2010

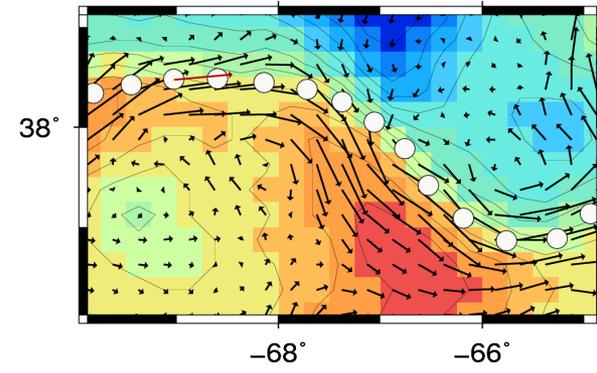
SST REMSS MW +
Buoy #88532



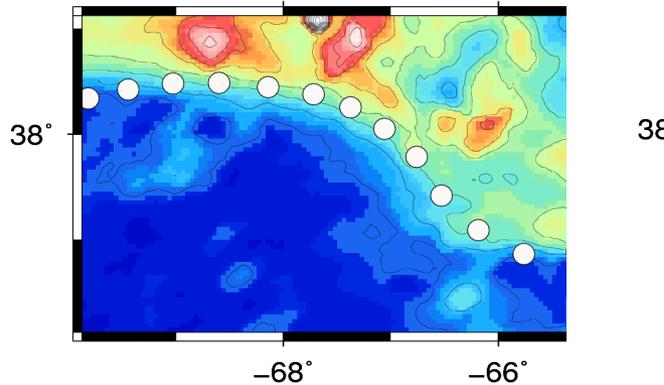
Alti (2SAT)



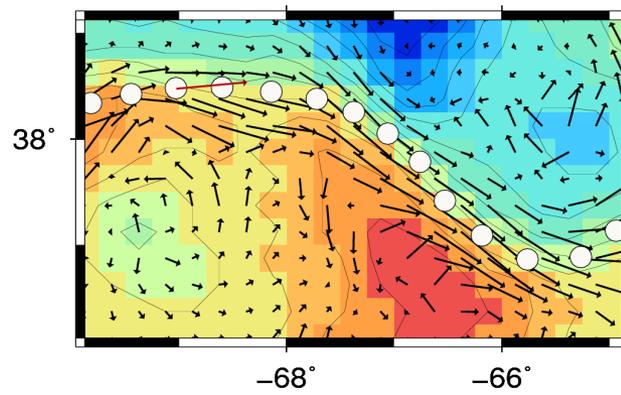
Alti (ALLSAT)



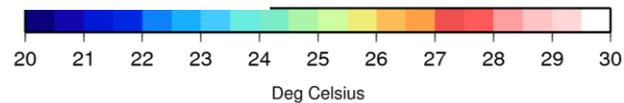
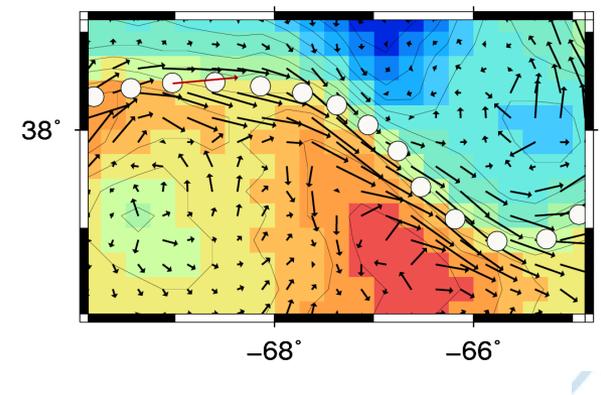
CMEMS CHL+
Buoy #88532



Alti (2SAT) + SST MW

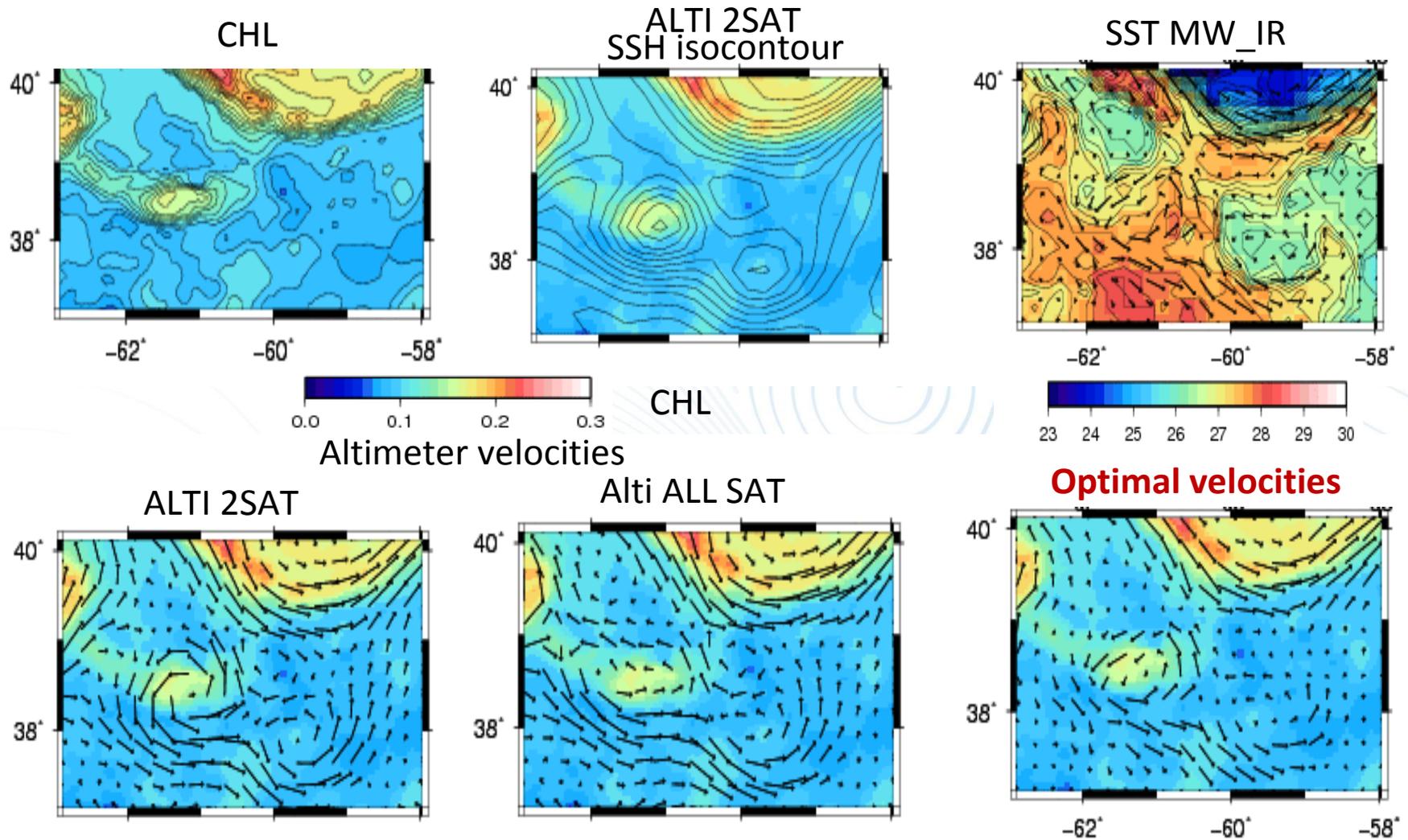


Alti (ALLSAT) + SST MW



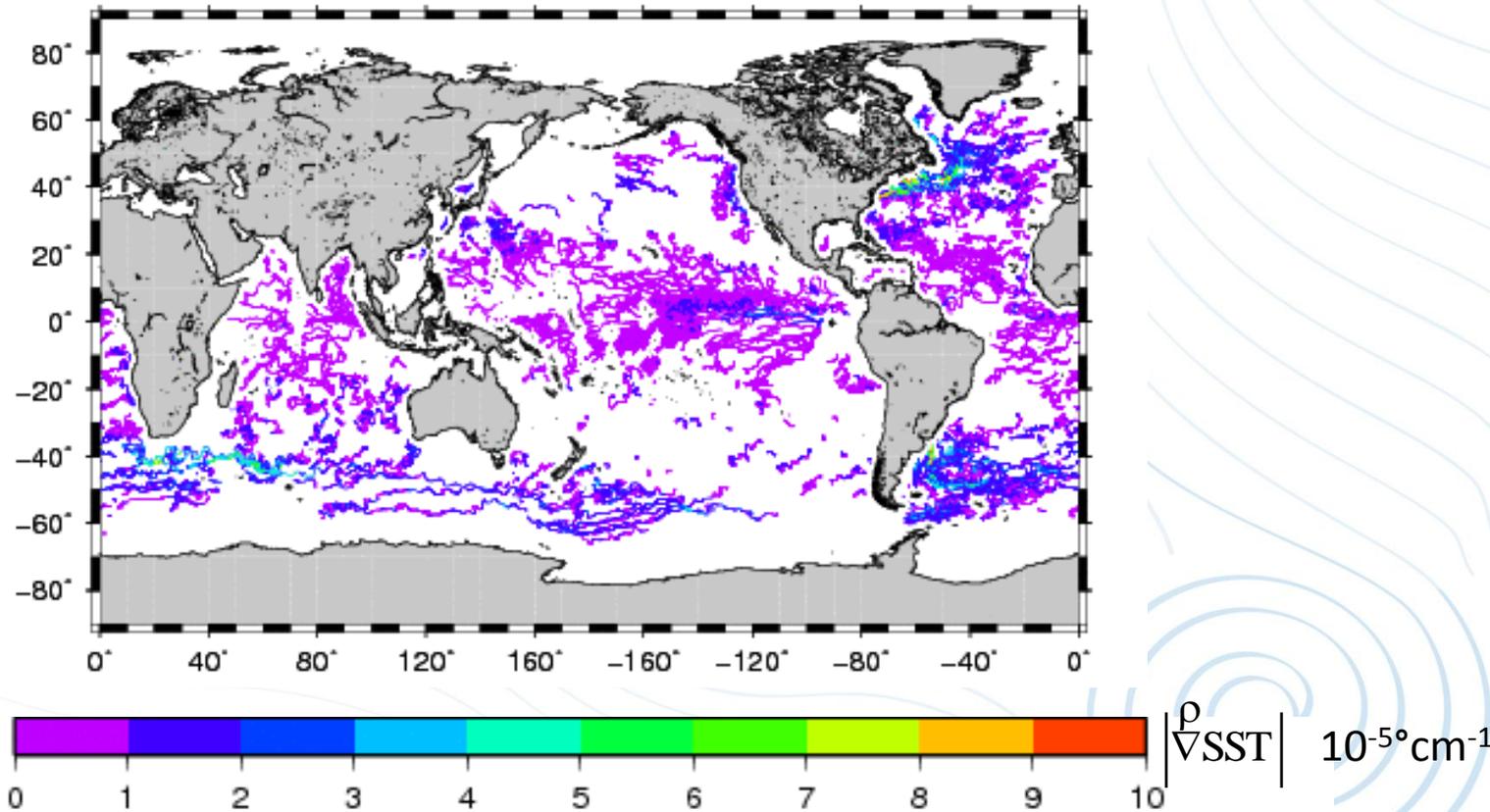
RESULTS

Example 2: Gulfstream, August, 8th 2015



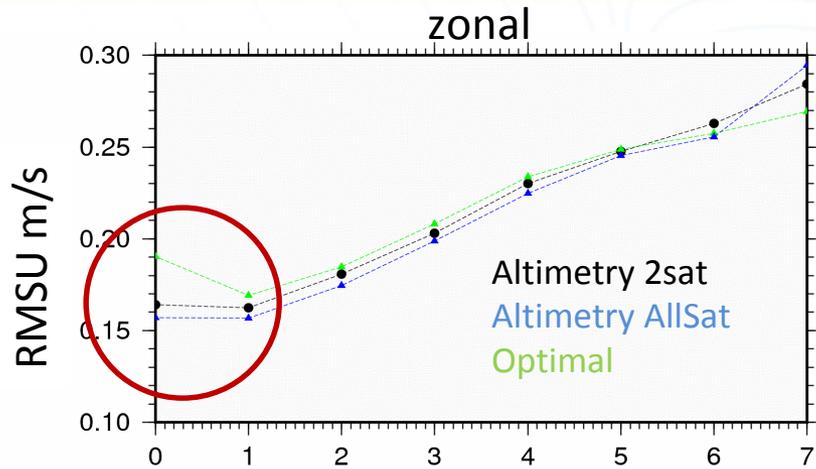
VALIDATION

1 year (2003) of global maps of optimal velocities have been calculated and compared to SVP-drogued drifting buoy velocities

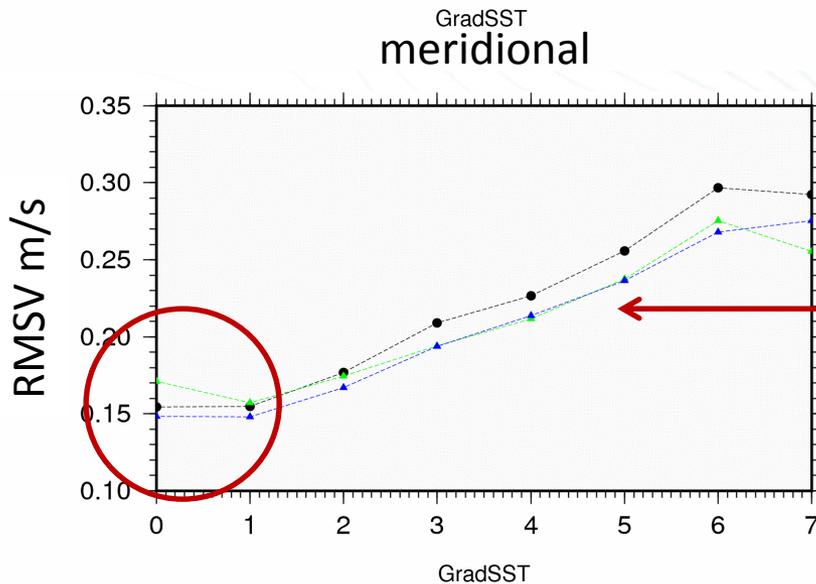


VALIDATION

Perfect Forcing $F=F_{bck}$



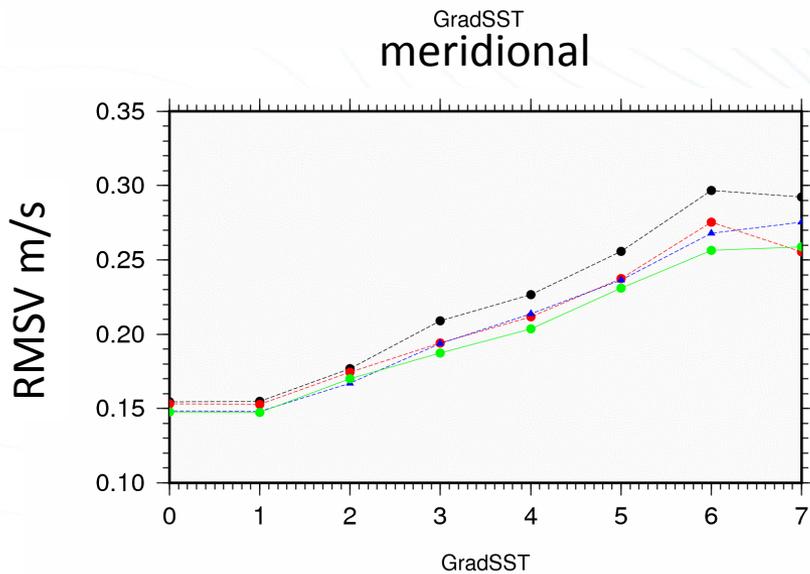
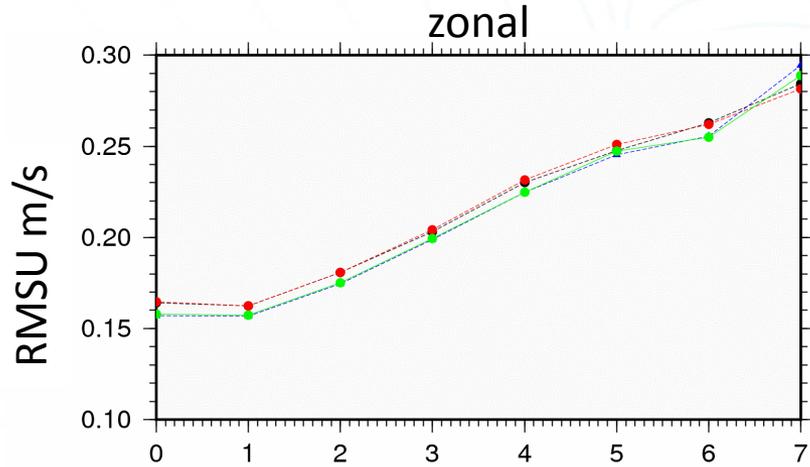
- Deterioration in weak gradients areas ($<10^{-5}/s$)
- Light degradation for the zonal component



- Deterioration in weak gradients areas ($<10^{-5}/s$)
- Strong improvement in strong gradients areas **2SAT+SST equivalent to ALLSAT**

VALIDATION

Unknown Forcing $F = F_{\text{bck}} + \epsilon$



Altimetry 2sat
Altimetry AllSat
Optimal unknown F (background=2SAT)
Optimal unknown F (background=Allsat)



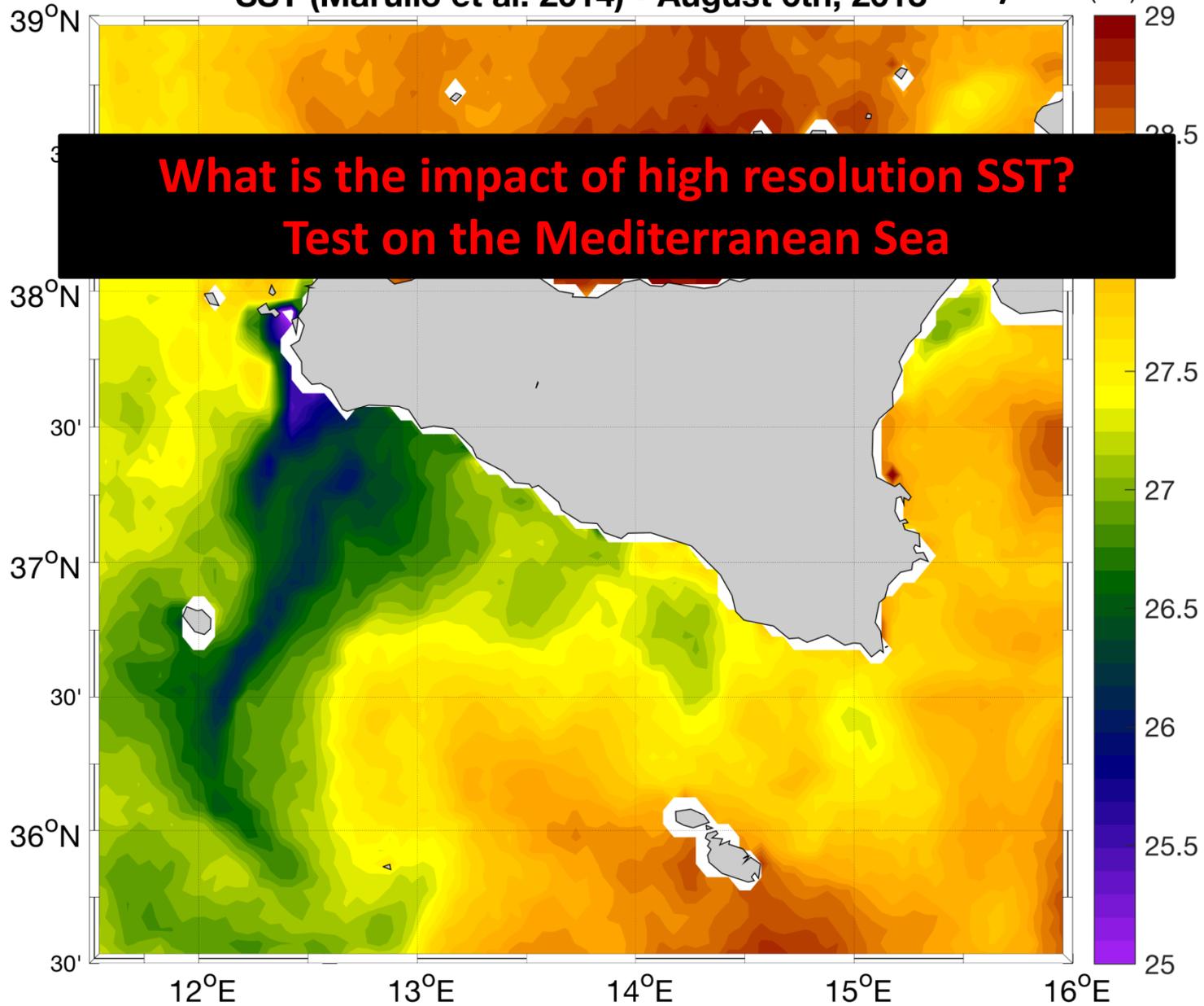
Further improvement
obtained on the
meridional component

SST L4 MWIR REMSS Products 9km
OI maps (100km, 4 days)

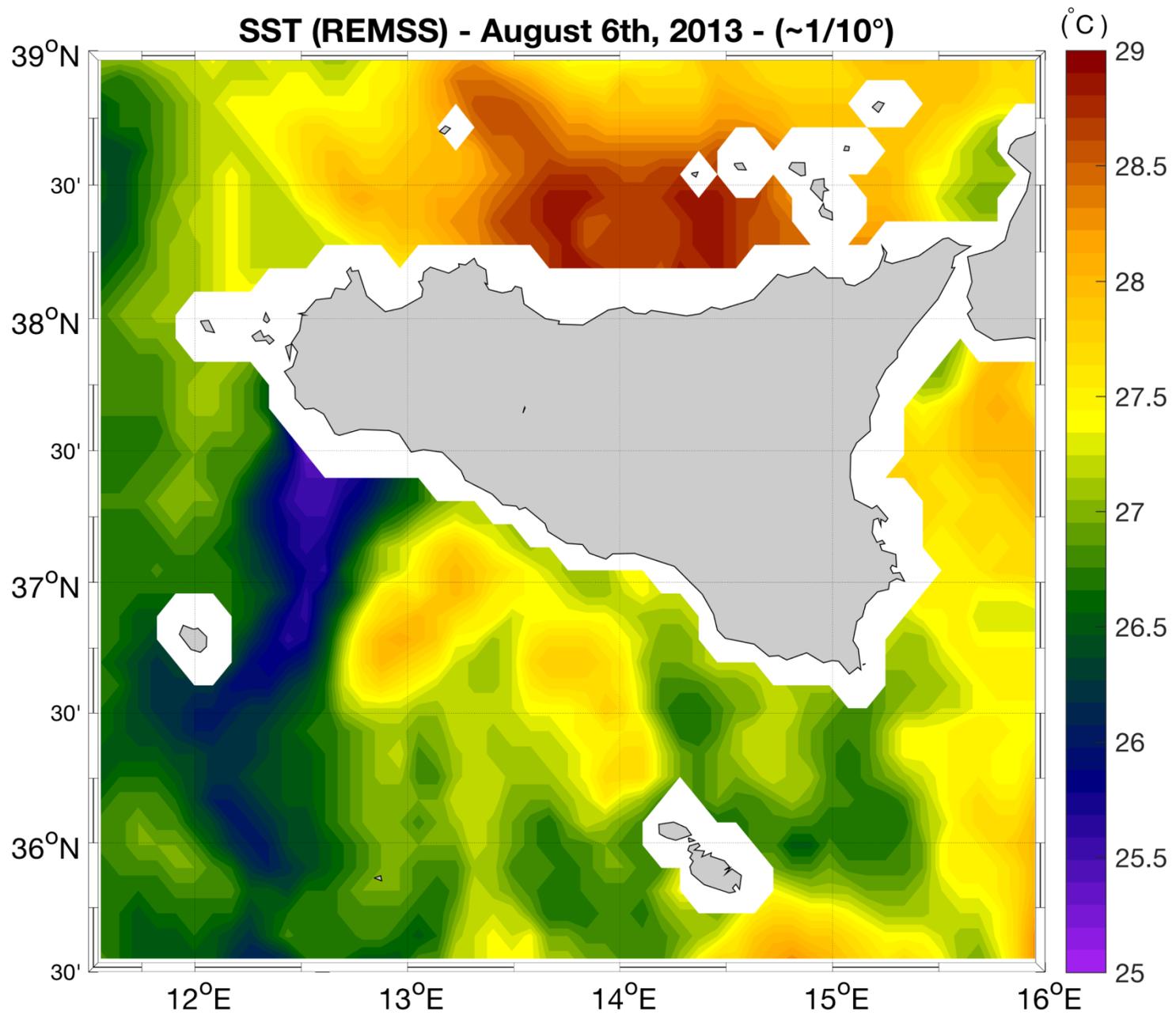
Improvement expected at medium scales only

Further improvements expected using
higher resolution SST products

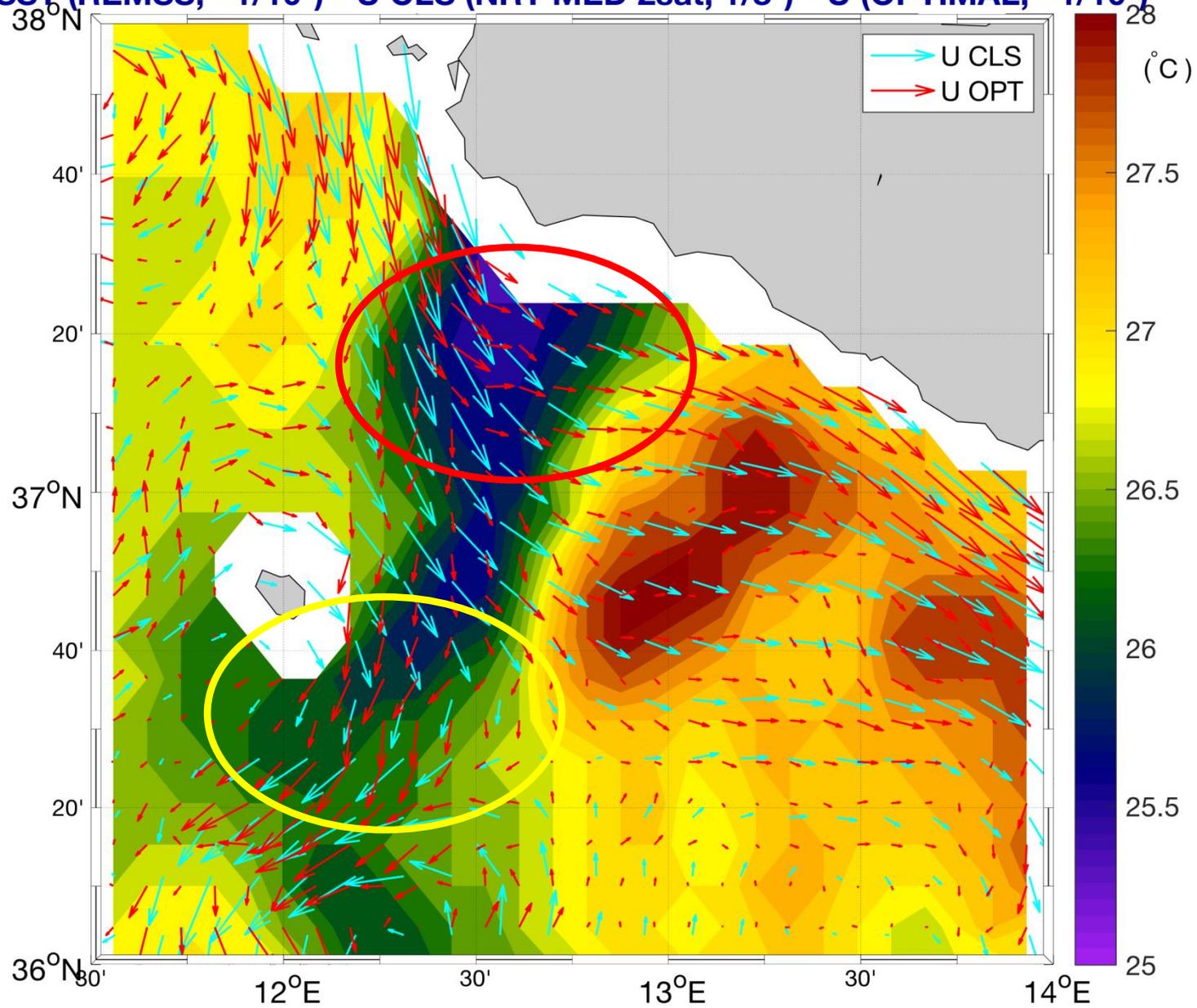
SST (Marullo et al. 2014) - August 6th, 2013 1/20° (°C)

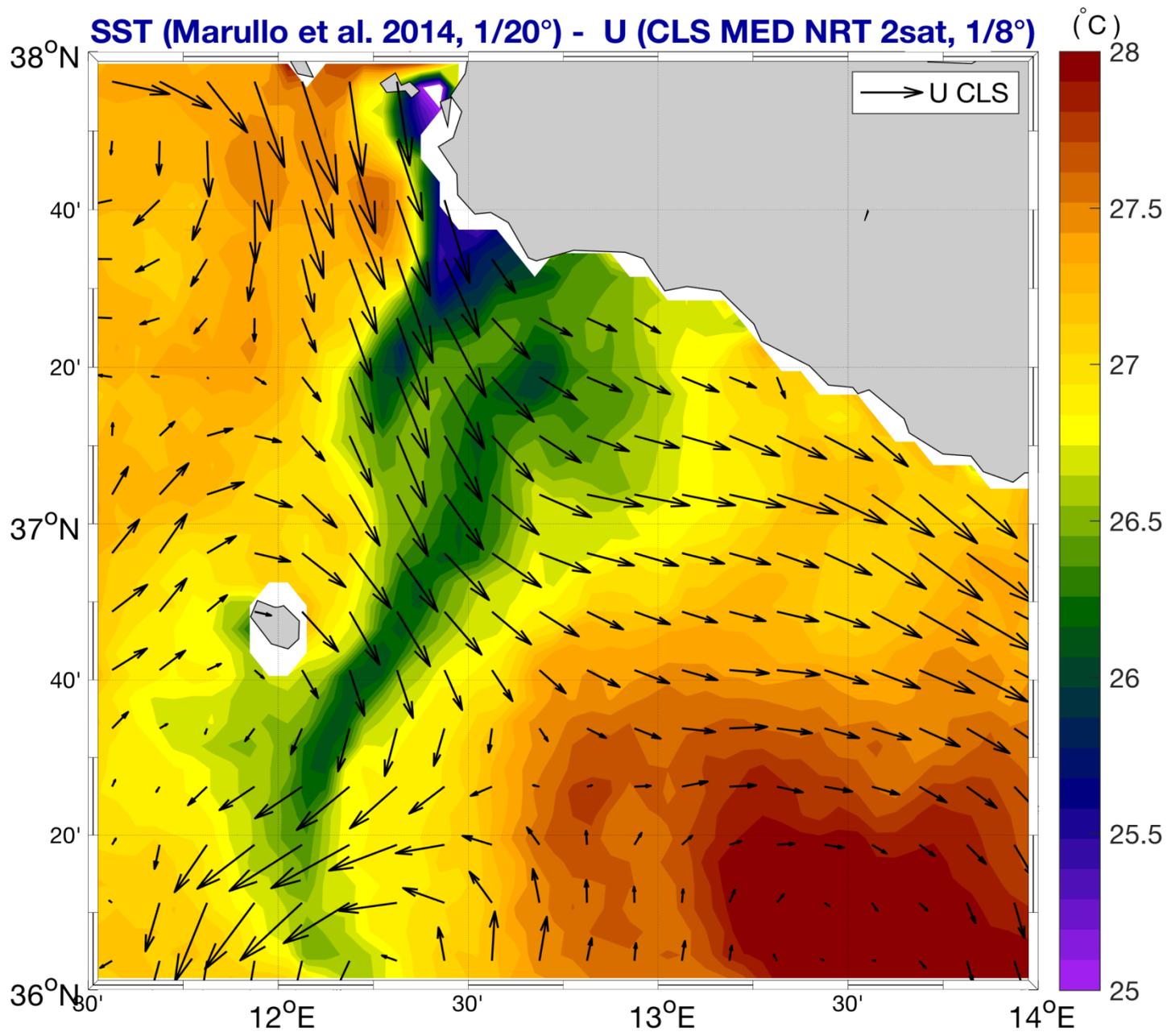


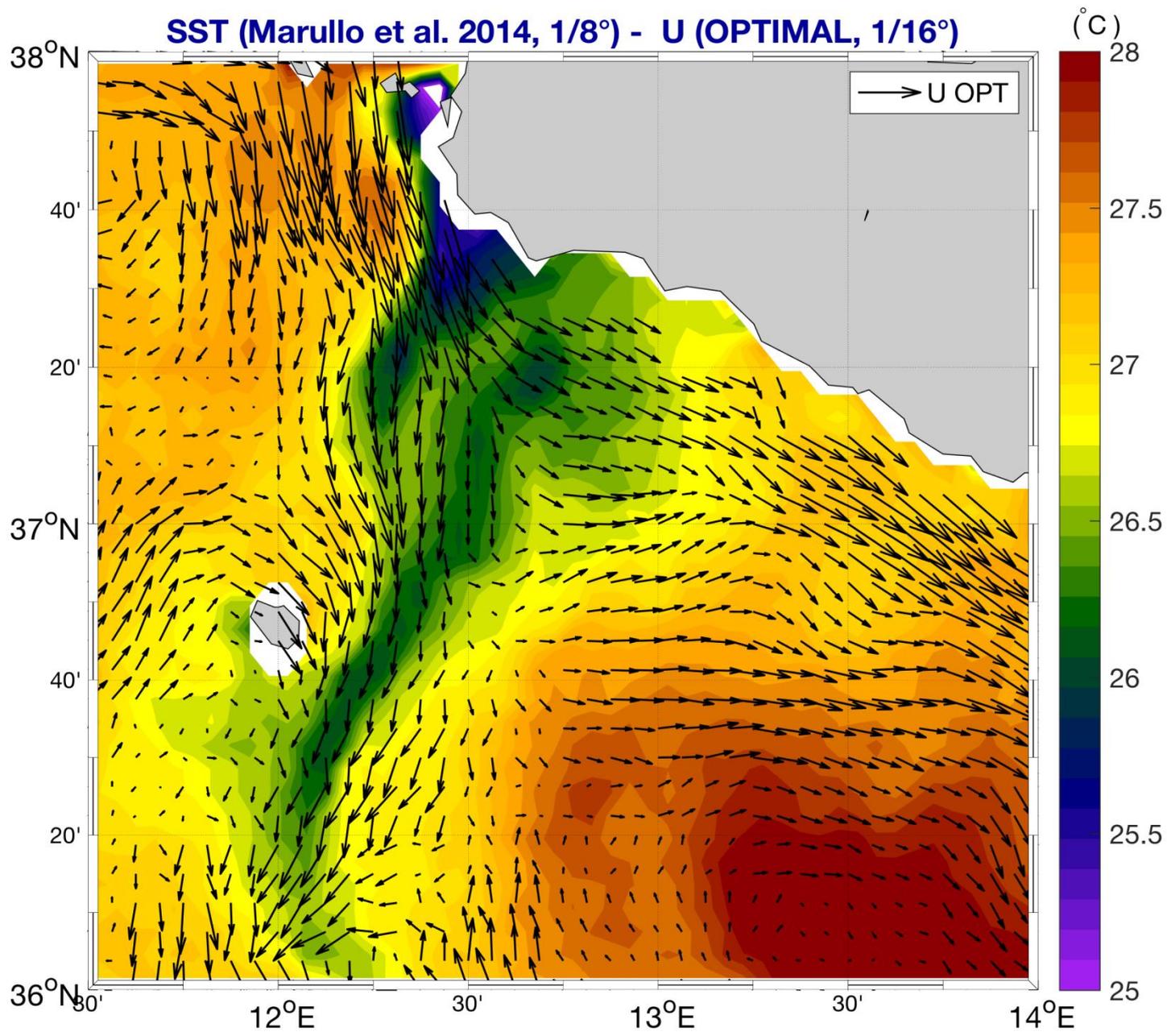
SST (REMSS) - August 6th, 2013 - (~1/10°)

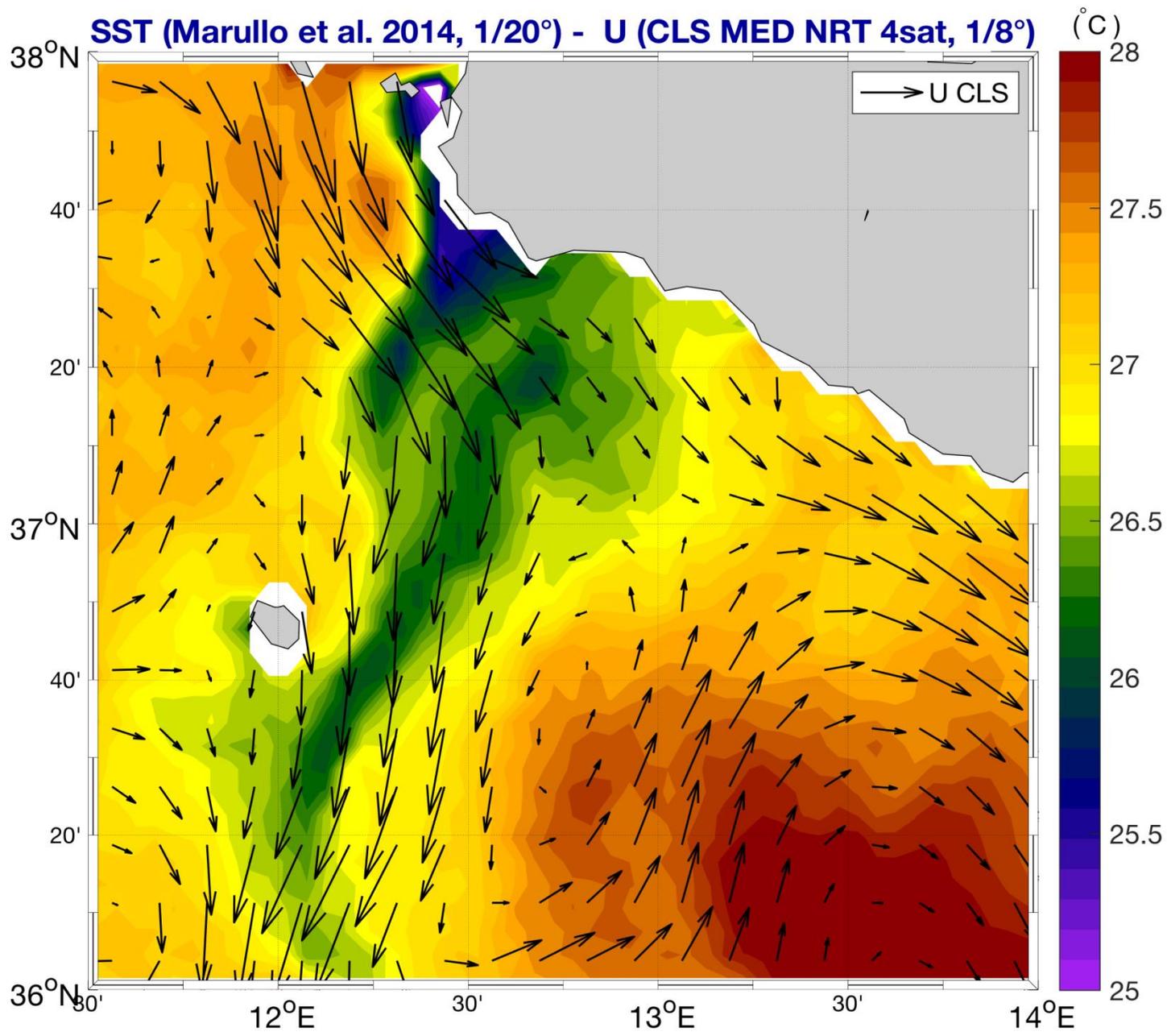


SST (REMSS, $\sim 1/10^\circ$) - U CLS (NRT MED 2sat, $1/8^\circ$) - U (OPTIMAL, $\sim 1/10^\circ$)

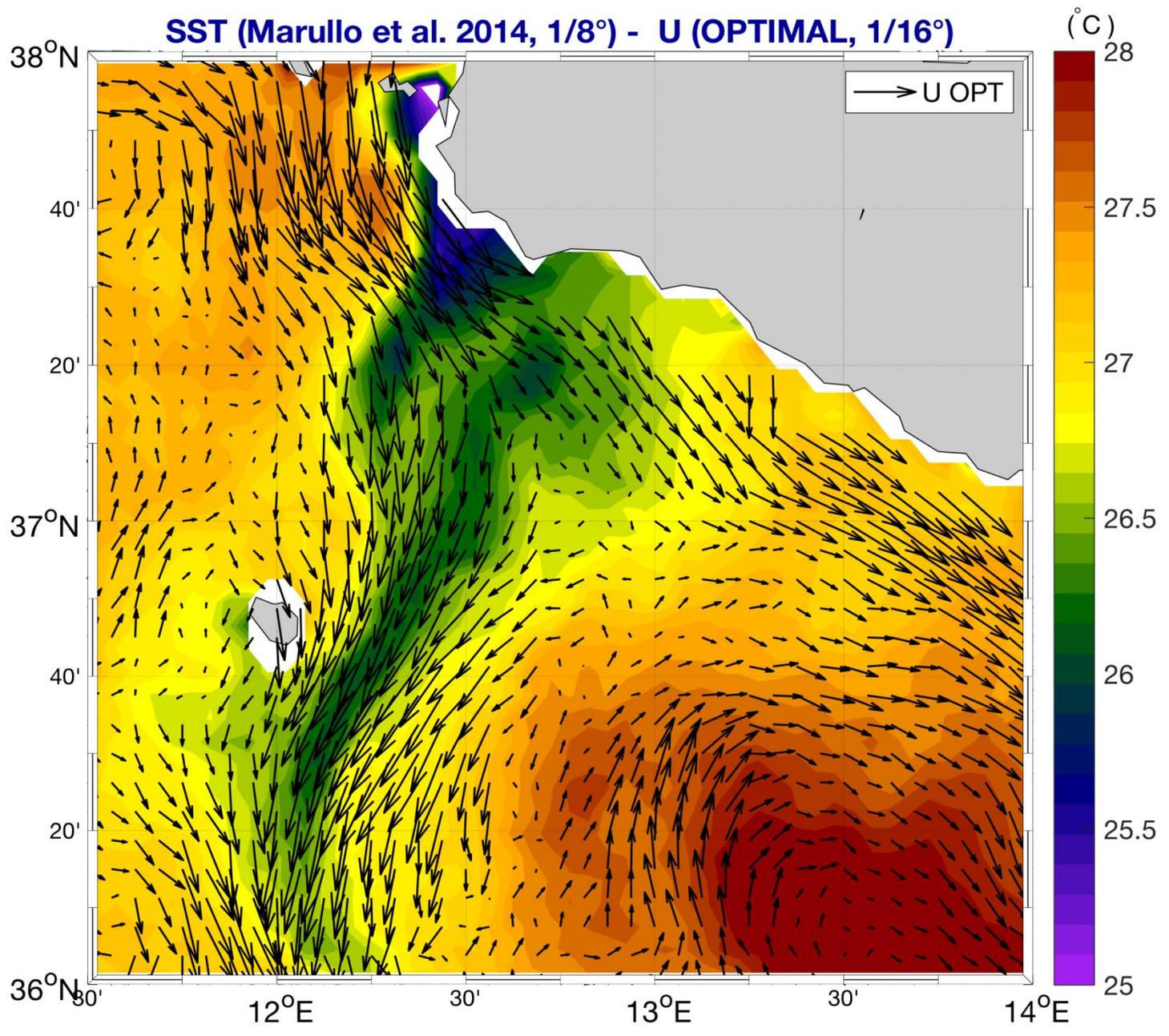








SST (Marullo et al. 2014, 1/8°) - U (OPTIMAL, 1/16°)



CONCLUSIONS

- A method has been implemented which **successfully combines SST and altimeter data** to **improve the altimeter derived surface currents**.
- **Systematic application for one year over the global ocean has been done and validated** through comparison to independent drifting buoy velocities.
- **Significant improvements (up to 20-30% locally)** are obtained in strong SST gradients areas for the meridional component of the velocity.
- In low gradients areas and for the zonal component of the velocity, weaker improvement is expected **by construction**. Still, a few % of improvements is obtained locally. In these areas, taking into account the forcing and background errors is **essential**.
- **Further improvements are expected** by:
 - Using higher quality, higher resolution (spatial and temporal) SST products
 - Better estimating the forcing term F and its error ϵ .